

Q:  $\gcd(a, b)$   
 number  $a, b \in \mathbb{Z}$   
 Neutrale  $1, 0$   
 $\mathbb{N}(f, g, r) = \int_1^r \frac{f(x)g(x)}{f(x)} dx$

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Schmidt'sche  
 Ruffini  
 Faktor-weg  
 Y  
 subtrahiere  
 CX

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Wang-Gauß  
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